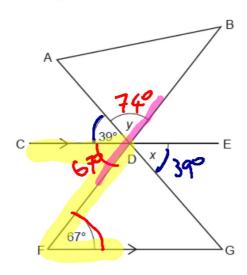
G7a... Angles - Parallel Lines

OCR

6 In the diagram, CDE is parallel to FG. ADG and BDF are straight lines.



Not to scale

(a) Complete the sentence with a reason.

Angle $x = 39^{\circ}$ because

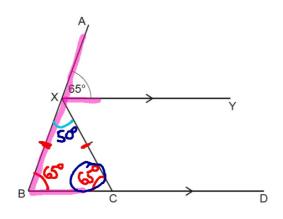
opposite angles [1]

(b) Work out angle y.

(b) 7 4° (3]

6 XY and BD are parallel lines. X is a point on AB and C is a point on BD. XB = XC.

Video created by W Neill



(a) Complete this sentence.

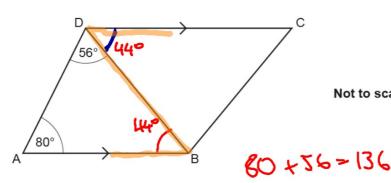
Angle XBC = 65° because ... Corresponding and

(b) Work out angle BXC.
Give a reason for each angle you work out.

. BCX = 65° because base angles in an isoscales briangle are equal

- . BXC = 50° because angles in a tringle = 180°
 - (b) 50° [4]

G5/6/7



Work out angle BDC.

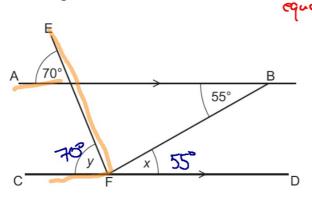
Give a reason for each angle you work out.

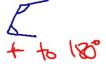
Not to scale

- · Angle ABD = 44° because angles in a triangle = 180°
 - · Angle BDC = 44° because alternate angles are equal.

AB and CD are parallel lines. EF and FB are straight lines.

G7



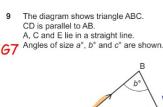


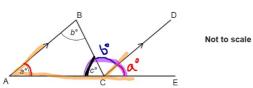
Not to scale

Complete the following statements.

x=55° because alternate angles are equal

 $y = 70^{\circ}$ because Corresponding angles are equal [2]





(b). Angle ABC-BCD because alternate argles are equel

(a) Insert a°, b° or c° to make this statement true. Give a reason for your answer.



(b) Use the diagram and the answer to part (a) to show that the angles of a triangle add up to 180°.
Give a reason for each statement you make.

[3]

· Anyles on a straight line = 1800

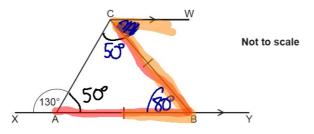
(C) They share angle c

(6) Angle BAC = DCE because corresponding angles are equal

(b) XY and CW are parallel lines. AB = CB.

Angle $CAX = 130^{\circ}$.

G7b



·Argle BCW = 80° because alternate angles are equal

(i) Complete this sentence.

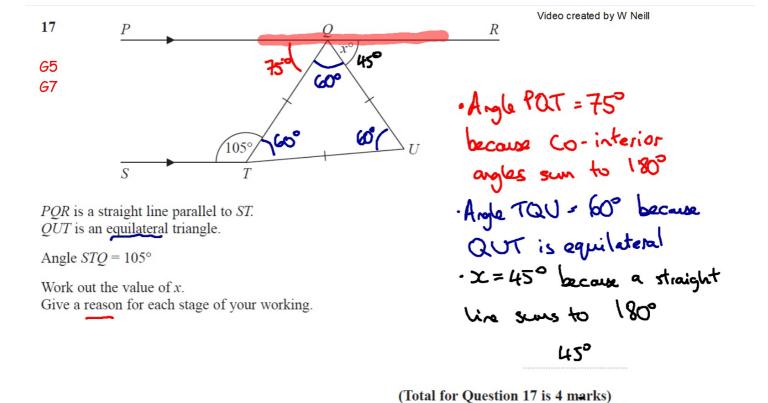
on a straight

(ii) Work out angle BCW.

Give a reason for each angle you work out.

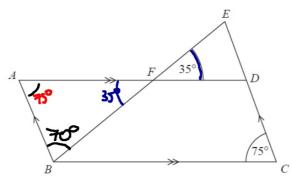
Angle ACB = 50° because base angles in an isosceles triangle = 1800 Angle ABC=80° because angles in a triongle =180° 80

Edexcel



25

Created by W Neill



ABCD is a parallelogram.

EDC is a straight line.

F is the point on AD so that BFE is a straight line.

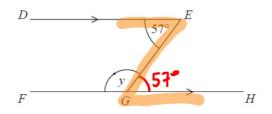
Angle $EFD = 35^{\circ}$ Angle $DCB = 75^{\circ}$

Show that angle $ABF = 70^{\circ}$ Give a reason for each stage of your working. · Angle BAF = 75°, opposite angles in a parallelogram are equal Angle AFB = 35°, vertically opposite are less are equal.

(Total for Question 25 is 4 marks)

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William needs to work out the size of angle y in this diagram.



William writes

Working	Reason
angle $EGH = 57^{\circ}$	because corresponding angles are equal
$y = 180^{\circ} - 57^{\circ}$ $y = 123^{\circ}$	because angles on a straight line add up to 180°

One of William's reasons is wrong.

(b) Write down the correct reason.

G7

because alternate orgles are equal.

22 BEG is a triangle.

B 35° C 186-13) 186-16 186-16 F

ABC and DEF are parallel lines.

Work out the size of angle *x*. Give a reason for each stage of your working.

Video Created by W Neill

Angle BEG=45° angles

on a straight lie =180°

Angle ABE: 70°, alternite

angles are equal

Angle EBG=75°,

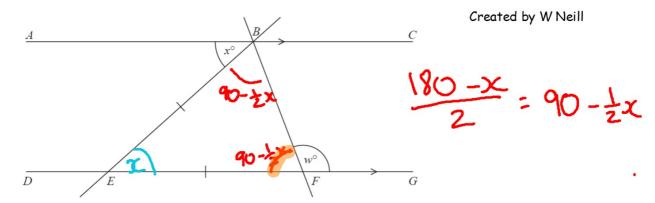
angles on a straight

line =180°

x=70° angles in a triagle
=180°

(Total for Question 22 is 4 marks)

9



In the diagram ABC and DEFG are parallel lines. Angle $ABE = x^{\circ}$

$$EB = EF$$

Show that
$$w = 90 + \frac{1}{2}x$$

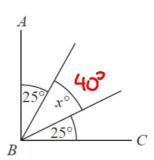
Give a reason for each stage of your working.

$$90 - \frac{1}{2}x + w = 180$$
(-90)
$$-\frac{1}{2}x + w = 90$$
(+\frac{1}{2}x)
(+\frac{1}{2}x)

(Total for Question 9 is 4 marks)

い= 10+ちょ

12 AB and BC are perpendicular lines.

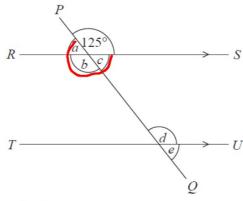


(a) Find the value of x.

$$x = 40^{\circ}$$
 (2)

RS and TU are parallel lines. PQ is a straight line.

G4/G7



An angle of size 125° is shown on the diagram.

(b) (i) Write down the letter of one other angle of size 125° Give a reason for your answer.

 $d = 125^{\circ}$ corresponding angles are equal in why $a+b+c=235^{\circ}$ 360-125=235 Angles at a point = 360°

(ii) Explain why $a + b + c = 235^{\circ}$